



माध्यमिक शिक्षा मण्डल, मध्यप्रदेश, भोपाल

परीक्षार्थी द्वारा भरा जाये ↓

24 पृष्ठीय

परीक्षा का विषय	विषय कोड	परीक्षा का माध्यम
MATHEMATICS	1 0 0	ENGLISH

स्टीकर तीर के निशान ↓ से मिलाकर लगायें

अंकों में परीक्षार्थी का रोल नम्बर

1	2	3	2	3	5	9	8	8
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शब्दों में

one	Two	Three	Two	Three	Five	NINE	Eight	Eight
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नीचे दिये गये उदाहरण अनुसार रोल नम्बर भरें।

उदाहरणार्थ	1	1	2	4	3	9	5	6	8
	एक	एक	दो	चार	तीन	नौ	पाँच	छः	आठ

क - पूरक उत्तर पुस्तिकाओं की संख्या अंकों में 01 शब्दों में one

ख - परीक्षार्थी का कक्ष क्रमांक 01

ग - परीक्षा की दिनांक 22 02 22

परीक्षा का नाम एवं परीक्षा केन्द्र क्रमांक की मुद्रा

हाई स्कूल परीक्षा केन्द्र क्रमांक-321048

पर्यवेक्षक का नाम एवं हस्ताक्षर	केन्द्राध्यक्ष/सहायक केन्द्राध्यक्ष के हस्ताक्षर

परीक्षक एवं उपमुख्य परीक्षक द्वारा भरा जाये ↓

प्रमाणित किया जाता है कि मूल्यांकन के समय पूरक उत्तर पुस्तिकाओं की संख्या उपरोक्तनुसार सही पाई हो। हो तो क्राफ्ट स्टीकर क्षतिग्रस्त नहीं पाया गया अन्दर के पृष्ठों के अनुरूप मुख्य पृष्ठ पर अंकों की प्रविष्टि अंकों का योग सही है।	
निर्धारित मुद्रा : नाम, पदनाम, मोबाईल नम्बर, परीक्षक क्रमांक एवं पदांकित संस्था के नाम की मुद्रा लगाएं।	
उप मुख्य परीक्षक के हस्ताक्षर एवं निर्धारित मुद्रा	परीक्षक के हस्ताक्षर एवं निर्धारित मुद्रा
M. D. RAO CWA20220515	Wamanrao Thakre V.N.-22567

नोट :- "हायर सेकेन्डरी परीक्षा में केवल वाणिज्य संकाय के विषयों तथा हाईस्कूल परीक्षा में प्रायोगिक विषय को छोड़कर शेष विषयों हेतु नियमित एवं स्वाध्यायी छात्रों के लिये प्रश्न पत्र 100 अंकों का होगा किन्तु नियमित छात्रों को 100 अंक के प्राप्तांक का 80% अधिभार एवं स्वाध्यायी छात्रों को 100 अंक के प्राप्तांक ही अंकसूची में प्रदर्शित किये जायेंगे।"

केवल परीक्षक द्वारा भरा जाये		
प्रश्न क्रमांक के सम्मुख प्राप्तांकों की प्रविष्टि करें		
प्रश्न क्रमांक	पृष्ठ क्रमांक	प्राप्तांक (अंको में)
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विशेष नोट :- सिलाई खुली हुई अथवा क्षतिग्रस्त उत्तर पुस्तिका को न तो पर्यवेक्षक वितरण करे और न ही छात्र उपयोग में ले। ऐसी उत्तर पुस्तिका में लिखे उत्तरों का मूल्यांकन नहीं किया जायेगा। परीक्षार्थी द्वारा भरा जाये ↓



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Ans

† Solution of Que 1 †

i) ~~b)~~ c) 13

b/b

ii) b) has no solution

iii) c) $-b/a$

iv) c) 0

v) a) 1

vi) b) $5\sqrt{2}$

† Solution of Que-2 †

i) $a \times b$

ii) 5

iii) Cubic

iv) $a + (n-1)d$

v) Similar

(vi) secant

(vii) πr^2

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Solution of Que-3

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(i) $\sec(90^\circ - \theta)$

d) $\operatorname{cosec} \theta$

(ii) $\cos \theta$

c) $1/\sec \theta$

(iii) $\sin \theta^\circ$

b) 0

(iv) $\cos \theta^\circ$

a) 1

P (v) $\sqrt{1 + \tan^2 \theta}$

f) $\sec \theta$

B (vi) $\sqrt{1 - \cos^2 \theta}$

e) $\sin \theta$

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Solution of Que-5

(i) True

(ii) True

(iii) False

(iv) False

(v) False

(vi) True



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Solution of Que-4 +(i) b is a factor of a ✓(ii) $ax^2 + bx + c$ ✓

$$p(x) = ax^2 + bx + c$$
 ✓

(iii) "Pythagoras theorem": In a right triangle square of hypotenuse is equal to sum of square of other two sides. ✓

M

P (iv) $\sqrt{x^2 + y^2}$ ✓

B

(v) Modal class ✓

S

(vi) $\neq$ Zero (0) ✓

E

(vii) one (1) ✓



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$$\boxed{} + \boxed{} = \boxed{}$$

Solution of Que -6

Let a be any positive integer and $b=2$.

then, according to Euclid's division lemma

$$a = bq + r, \quad 0 \leq r < b$$

$$\Rightarrow a = 2q + r, \quad 0 \leq r < 2$$

— (1)

so, possible values of $r = 0, 1$.
on putting values of r in (1),

$$\begin{aligned} a &= 2q + 0 \\ &= 2q \end{aligned}$$

(even)

and

$$a = 2q + 1$$

(odd)

If a is in form of $2q$ then,
 a is even integer as it is divisible
by 2.

Also, a positive integer is either odd
or even.

Hence, every positive even integer is
of form $2q$ and that every positive
odd integer is of the form $2q+1$.

Hence, proved.

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An SolutionQ-7 (or)

Let α and β be the zeros of quadratic polynomial $p(x) = ax^2 + bx + c$.

then, As per given question

$$\begin{aligned} \alpha + \beta &= 1 \quad [\text{Given}] \\ \Rightarrow \frac{-b}{a} &= 1 \quad [\because \alpha + \beta = -\frac{b}{a}] \end{aligned}$$

$$\Rightarrow \frac{b}{a} = -1 \quad \text{--- (1)}$$

and

$$\begin{aligned} \alpha \cdot \beta &= 1 \quad [\text{Given}] \\ \Rightarrow \frac{c}{a} &= 1 \quad [\because \alpha \cdot \beta = \frac{c}{a}] \end{aligned}$$

From eqⁿ (1) and (2),

$$a = 1, \quad b = -1, \quad c = 1$$

$$\begin{aligned} \text{So, } p(x) &= 1x^2 + (-1)x + 1 \\ &= \boxed{x^2 - x + 1} \quad \text{Ans} \end{aligned}$$

Hence, quadratic polynomial is $x^2 - x + 1$.



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Solution of Que-8Given, A.P : $-5, -1, 3, 7, \dots$ First term, $a = -5$ Anscommon difference, $d = a_2 - a_1 = -1 - (-5)$
 $= -1 + 5$
 $= 4$ AnsHence, required first term is -5
and common difference is 4 Solution of Que-9 (or)Two polygons of same no. of sides are similar if (i) ~~their~~ corresponding angles are equal and (ii) ~~their~~ corresponding sides are proportional.M
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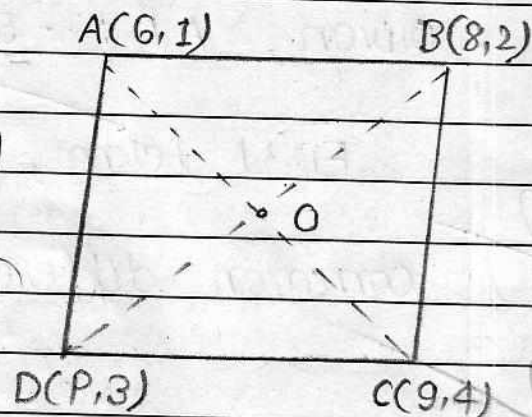
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Solution of Que - 10 (or) :-Given:-

$A(6,1)$, $B(8,2)$, $C(9,4)$
and $D(P,3)$ are
vertices of parallelo-
gram. AC and BD are
diagonals.

To Find:- value of p .Solution:-

We know that diagonals of
parallelogram bisect each other.
So,

$$AO = CO \quad \text{and} \quad BO = DO$$

i.e.,

coordinate of mid point of AC =
coordinate of mid point of BD

by mid point formula,

$$\Rightarrow \left(\frac{6+9}{2}, \frac{1+4}{2} \right) = \left(\frac{8+p}{2}, \frac{2+3}{2} \right)$$

$$\Rightarrow \left(\frac{15}{2}, \frac{5}{2} \right) = \left(\frac{8+p}{2}, \frac{5}{2} \right)$$



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on comparing,

$$\frac{15}{x} = \frac{8+p}{x} \quad \checkmark$$

$$\Rightarrow 15 = 8+p \Rightarrow p = 15-8$$

$$\Rightarrow \boxed{p=7} \quad \underline{\text{Ans}} \quad \checkmark$$

Hence, required value of p is 7.

Solution of Que-11

Given: $A(5,2)$ $B(4,7)$ and $C(7,-4)$
are coordinates of $\triangle ABC$.

here,

$$x_1 = 5, \quad y_1 = 2$$

$$x_2 = 4, \quad y_2 = 7$$

$$x_3 = 7, \quad y_3 = -4$$

To Find: ar $(\triangle ABC)$

Solution:

$$\text{ar}(\triangle ABC) = \frac{1}{2} [x_1(y_2 - y_3) + x_2(y_3 - y_1) + x_3(y_1 - y_2)]$$

$$= \frac{1}{2} [5(7 - (-4)) + 4(-4 - 2) + 7(2 - 7)]$$

$$= \frac{1}{2} [5(7+4) + 4(-6) + 7(-5)]$$

$$= \frac{1}{2} [5(11) + (-24) + (-35)]$$



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$$= \frac{1}{2} [55 - 2 \times 5]$$

$$= \frac{1}{2} [55 - 10]$$

$$= \frac{1}{2} \times 45 = 22.5$$

Area is a measure which can't be negative. So, we need numeric value.

So, Area of $\triangle ABC = 2 \text{ sq. units}$ Ans

Hence, required area is '2 sq. units'

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Solution of Que - 12

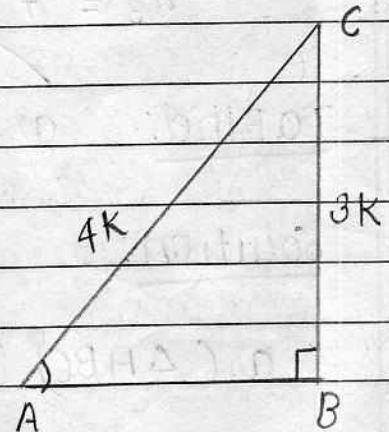
Let us consider $\triangle ABC$
is right triangle,
 $\angle B = 90^\circ$

Now,

$$\sin A = \frac{3}{4}$$

$\Rightarrow$ Side opp. to $\angle A = 3$
Hypotenuse 4

$$\Rightarrow \frac{BC}{AC} = \frac{3}{4}$$





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So, if $BC = 3K$ then, $AC = 4K$

by pythagoras theorem,

$$AC^2 = AB^2 + BC^2$$

$$\Rightarrow (4K)^2 = AB^2 + (3K)^2$$

$$\Rightarrow 16K^2 = AB^2 + 9K^2$$

$$\Rightarrow 16K^2 - 9K^2 = AB^2$$

$$\Rightarrow AB = \sqrt{7K^2} = K\sqrt{7}$$

So, $\cos A = \frac{\text{Side adj. to } \angle A}{\text{Hypotenuse}}$

$$= \frac{AB}{AC}$$

$$= \frac{K\sqrt{7}}{4K}$$

$$= \frac{\sqrt{7}}{4} \quad \checkmark \text{ Ans}$$

and

$\tan A = \frac{\text{Side opp. to } \angle A}{\text{Side adj. to } \angle A}$

$$= \frac{BC}{AB}$$

$$= \frac{3K}{K\sqrt{7}}$$

$$= \frac{3}{\sqrt{7}} \quad \checkmark \text{ Ans}$$

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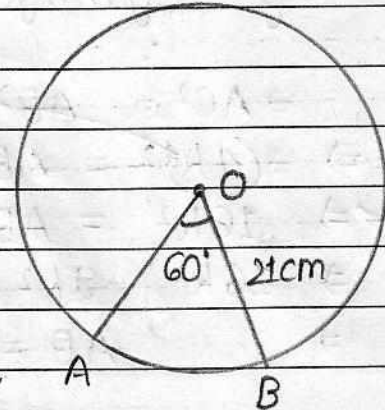
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+ solution of Que-13 (or) :-Given:

An arc AB of a circle subtends an angle 60° at the center.



Now,

radius of circle (r) = 21cm
angle of sector (θ) = 60°

So,

$$\text{length of arc} = \frac{2\pi r \cdot \theta}{360}$$

$$= \frac{2 \times 22}{7} \times 21 \times \frac{60}{360}$$

$$= \frac{44}{2}$$

$$= \boxed{22 \text{ cm}} \quad \text{Ans}$$

Hence, length of arc is 22 cm.

M
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:- Solution of Que-14 :-

Impossible event: The probability of that an event that can't be happen or impossible to occur is 0 and such an event is called Impossible event.

:- Solution of Que-15 (or) :-Given: $P(E) = 0.06$ To Find: P not E i.e., $P(\bar{E})$

Solution:

As, we know that

$$P(E) + P(\bar{E}) = 1$$

$$\Rightarrow 0.06 + P(\bar{E}) = 1$$

$$\Rightarrow P(\bar{E}) = 1 - 0.06$$

$$\Rightarrow \boxed{P(\bar{E}) = 0.94} \quad \text{Ans}$$

Hence, required probability is '0.94'M
P
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Solution of 16Given, quadratic eqⁿ:

$$2x^2 + x - 6 = 0$$

by factorisation method,

$$2x^2 + 4x - 3x - 6 = 0 \checkmark$$

$$\Rightarrow 2x(x+2) - 3(x+2) = 0 \checkmark$$

$$\Rightarrow (2x-3)(x+2) = 0$$

so,

$$2x-3=0 \quad \text{or} \quad x+2=0$$

$$\Rightarrow 2x=3$$

$$x=-2 \quad \text{Ans}$$

$$\Rightarrow x = \frac{3}{2} \quad \text{Ans}$$

Hence, required roots are $\frac{3}{2}$ and -2 .Solution of Que -17Given A.P. : 3, 8, 13, 18, ...first term, $a = 3$ common difference, $d = 8 - 3 = 5$ Let 78 be n^{th} term of an A.P.
i.e., $a_n = 78$

$$\Rightarrow a + (n-1)d = 78 \quad [\because a_n = a + (n-1)d]$$



$$[] + [] = []$$

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$$\Rightarrow 3 + (n-1)5 = 78$$

$$\Rightarrow (n-1)5 = 78 - 3$$

$$\Rightarrow (n-1)5 = 75$$

$$\Rightarrow (n-1) = \frac{75}{5}$$

$$\Rightarrow n = 1 + 15$$

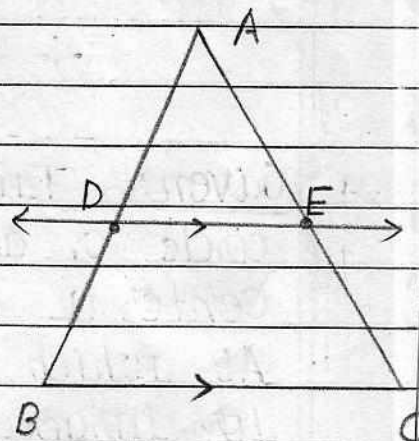
$$\Rightarrow \boxed{n=16} \quad \text{Ans}$$

Hence, 78 is 16th term of A.P.

-/- Solution of Que - 18 -/-

Given: $\triangle ABC$ where
a line intersect

AB at D and AC at
E, such that $DE \parallel BC$.



To prove: $AD = AE$

~~$AB = AC$~~

Proof: In $\triangle ABC$,

$\therefore DE \parallel BC$

$\therefore$ by Basic proportionality theorem

$$\frac{AD}{DB} = \frac{AE}{EC}$$

$$\Rightarrow \frac{DB}{AD} + 1 = \frac{EC}{AE} + 1 \quad \left[\begin{array}{l} \text{On taking reciprocal} \\ \text{and adding 1 both} \\ \text{side} \end{array} \right]$$



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$$\Rightarrow DB + AD = EC + AE$$

$$\frac{AD}{AB} = \frac{AE}{AC}$$

$$\Rightarrow \frac{AB}{AD} = \frac{AC}{AE} \quad \begin{array}{l} \because DB + AD = AB \\ EC + AE = AC \end{array}$$

Again taking reciprocal both sides,

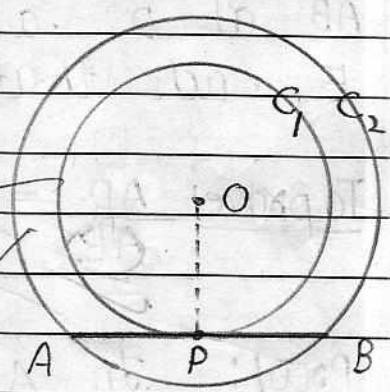
$$\Rightarrow \frac{AD}{AB} = \frac{AE}{AC}$$

Hence, proved.

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Solution of Que-19

Given: Two concentric circle C_1 and C_2 with center O . and AB which is chord for larger circle C_2 & is a tangent for inner circle C_1 at point P .



To prove: $AP = BP$

Cons: Join OP .



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proof: For smaller circle C_1 .

OP is radius and AB is tangent with point of contact P.

So,

$OP \perp AB$ [∵ Tangent is $\perp$ to radius through the point of contact]

Now,

For larger circle C_2

AB is a chord and $OP \perp AB$
[Proved above]

So,

$$AP = BP$$

[∵ Perpendicular drawn from center bisect the chord]

Thus, In two concentric circles, the chord of larger circle, which touches smaller, is bisected at point of contact.

Hence, proved.



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solution of Que 10 (or)

Given,

$$x + y = 5 \quad \text{--- (1)}$$

$$\text{and } 2x - 3y = 4 \quad \text{--- (2)}$$

From eqⁿ (1),

$$x + y = 5$$

$$\Rightarrow x = 5 - y \quad \text{--- (3)}$$

on substituting value of x in eqⁿ (2),
we get

$$2(5 - y) - 3y = 4$$

$$\Rightarrow 10 - 2y - 3y = 4$$

$$\Rightarrow -5y = 4 - 10$$

$$\Rightarrow -5y = -6$$

$$\Rightarrow y = \frac{-6}{-5} = \frac{6}{5} \quad \text{Any}$$

$$\text{put } y = \frac{6}{5} \text{ in (3),}$$

$$\Rightarrow x = 5 - \frac{6}{5} = \frac{25 - 6}{5}$$

$$\Rightarrow x = \frac{19}{5} \quad \text{Ans}$$

Hence, required value of ' $x = \frac{19}{5}$ '
and ' $y = \frac{6}{5}$ '.

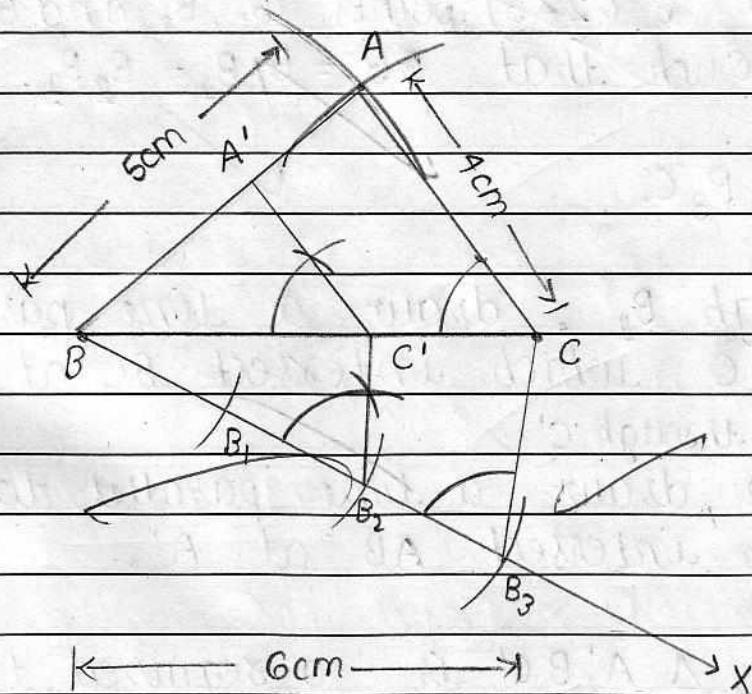


$$\boxed{} + \boxed{} = \boxed{}$$

पृष्ठ 19 के अंक

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Solution of Que - 21M
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Steps of construction:

- 1) First we draw a line segment $BC = 6\text{ cm}$
- 2) With B as center draw an arc of radius 5 cm .
- 3) With C as center draw an arc of radius 4 cm which intersect previous arc at point A.



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- 4) Join AB and AC. So, ABC is a Δ .
- 5) Draw a ray BX making an acute angle with BC.
- 6) mark 3 ($2 < 3$) points B_1, B_2 and B_3 on BX such that $BB_1 = B_1B_2 = B_2B_3$.
- 7) Join B_3C .

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- 8) Through B_2 , draw a line parallel to B_3C which intersect BC at C' .

- 9) Again draw a line parallel to AC which intersect AB at A' .

Thus $\Delta A'BC'$ is a required triangle.

Justification:

In $\Delta A'BC'$ and ΔABC

$$\angle B = \angle B \quad [\text{common}]$$

$$\angle BA'C' = \angle BAC \quad [\text{corresponding angles as } A'C' \parallel AC]$$

$$\therefore \Delta A'BC' \sim \Delta ABC \quad [\text{AA similarity}]$$

$$\text{So, } \frac{A'B}{AB} = \frac{BC'}{BC} = \frac{A'C'}{AC} \quad [\text{sides are proportional of similar } \Delta]$$

—(1)



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Now, In $\triangle BC'B_2$ and $\triangle BCB_3$

$\angle B = \angle B$ [common]
and $\angle BC'B_2 = \angle BCB_3$ [corresponding angles
as $B_2C' \parallel B_3C$
 $\therefore \triangle BC'B_2 \sim \triangle BCB_3$ [AA similarity]

So, $\frac{BC'}{BC} = \frac{BB_2}{BB_3}$ [$\because$ corresponding sides
are proportional of
similar $\triangle$]

But $\frac{BB_2}{BB_3} = \frac{2}{3}$ [by cons.]

$$\Rightarrow \frac{BC'}{BC} = \frac{2}{3} \quad \text{--- (2)}$$

From eqⁿ ① and ②,

$$\frac{A'B}{AB} = \frac{BC'}{BC} = \frac{A'C'}{AC} = \frac{2}{3}$$

$$A'B = \frac{2}{3} AB, \quad BC' = \frac{2}{3} BC$$

$$\text{and } \cancel{BC'} = \frac{2}{3} B, \quad A'C' = \frac{2}{3} AC$$

Hence, Justified.



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Solution of Que-B 22 (or) :-

Given,

radius of
base of
cone (r) = 6cm

and

height of cone (h) = 24cmSo, volume of cone = $\frac{1}{3} \pi r^2 h$

$$= \left(\frac{1}{3} \times \pi \times 6 \times 6 \times 24 \right) \text{ cm}^3$$

∴ A child reshapes it in form of sphere.

Let ' R ' be the radius of resulting sphere.

So,

$$\text{Volume of sphere} = \frac{4}{3} \pi R^3 \text{ cm}^3$$



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According to question:

Volume of cone = Volume of sphere

$$\Rightarrow \frac{1}{3} \times \pi \times 6 \times 6 \times 24 = \frac{4}{3} \pi R^3$$

$$\Rightarrow \frac{6 \times 6 \times 24}{3} = \frac{4}{3} R^3$$

$$\Rightarrow R^3 = \frac{6 \times 6 \times 24}{4}$$

$$\Rightarrow R = \sqrt[3]{6 \times 6 \times 6}$$

$$\Rightarrow \boxed{R = 6 \text{ cm}} \quad \text{Ans}$$

Hence, required radius of sphere is '6cm'.

P.T.O.



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परीक्षार्थी द्वारा भरा जाये ↓

4 पृष्ठीय

वर्ष - 2022

परीक्षा का विषय	विषय कोड	परीक्षा का माध्यम
MATHEMATICS	1 0 0	ENGLISH

परीक्षा का दिनांक 22 02 22

स्टीकर तीर के निशान ↓ से मिलाकर लगाये

परीक्षा का नाम एवं परीक्षा केन्द्र क्रमांक की मुद्रा

केन्द्र क्रमांक-321048

हाई स्कूल परीक्षा

पर्यवेक्षक का नाम एवं हस्ताक्षर

केन्द्राध्यक्ष/सहायक केन्द्राध्यक्ष के हस्ताक्षर

परीक्षार्थी द्वारा भरा जाये →

मुख्य उत्तर

Solution of Que - 23 (Or)

प्रश्न क्र.

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P
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class interval	frequency f_i	class mark x_i	$f_i x_i$
20-60	7	40 ✓	280 ✓
60-100	5	80 ✓	400 ✓
100-150	16	125 ✓	2000 ✓
150-250	12	200 ✓	2400 ✓
250-350	2	300 ✓	600 ✓
350-450	3	400 ✓	1200 ✓
Total	$\Sigma f_i = 45$		$\Sigma f_i x_i = 6880$

पृष्ठ के अंकों का योग



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प्रश्न क्र.

$$\boxed{\text{योग पर्व पल}} + \boxed{\text{पृष्ठ}} = \boxed{\text{कुल अंक}}$$

2

∴ by direct mean method,

$$\begin{aligned} \text{mean} &= \bar{x} = \frac{\sum f_i x_i}{\sum f_i} \\ &= \frac{6880}{45} \times \frac{1376}{9} \\ &= \frac{1376}{9} \\ &= \boxed{152.88} \quad \text{Ans} \end{aligned}$$

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Hence, required mean no. of wickets is 153 '152.88'.